

Pressure effects in an enclosed volume due to EFP impact

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Problem

- Is it possible for a build up of dangerous/lethal high-pressure regions inside a vehicle hit by an EFP?

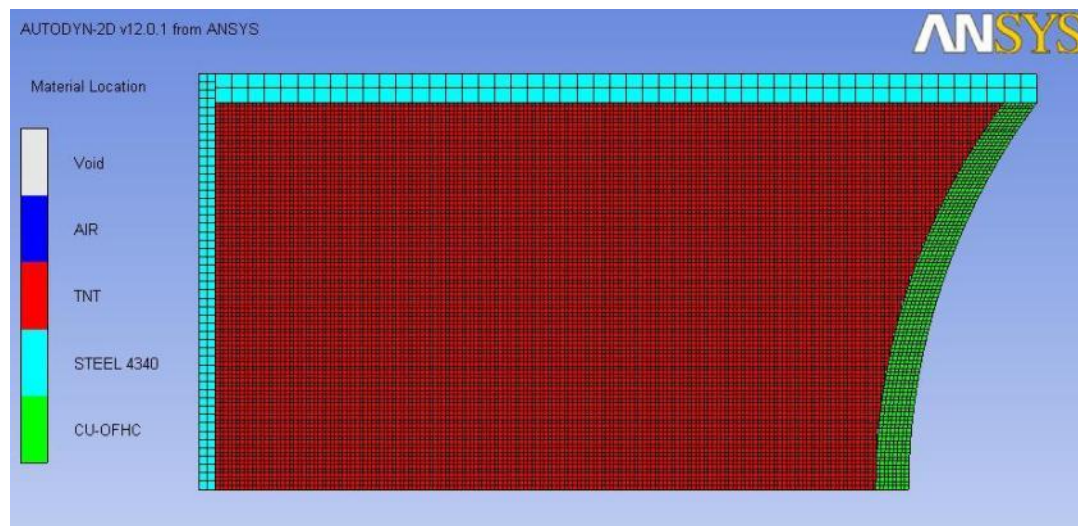


Problem definition

- If complete perforation is assumed, three mechanisms studied:
 - Shock from penetrator.
 - Shock from detonation.
 - Pressure induced by plate vibrations.
- Effects such as chemical reactions, ref. *Heine & Wickert, ESW 2008*, is not considered
- Purely numerical study

Setup

- A generic EFP was modeled in ANSYS AUTODYN



- Charge mass 1 kg TNT
- Liner mass 250 g Cu

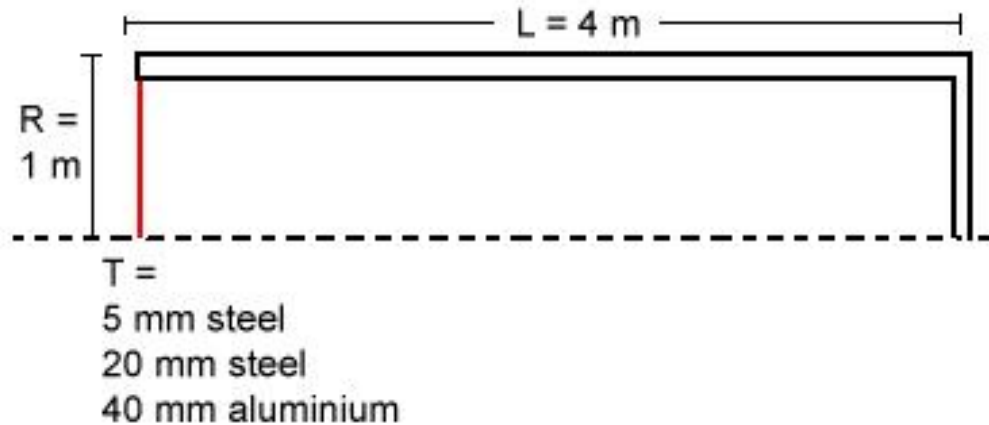
Slug



- $V \sim 1300$ m/s
- Reaches stable configuration after $\sim 0,75$ ms.

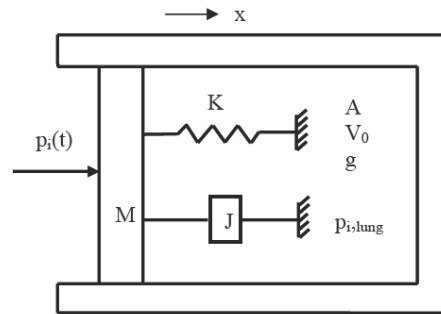
Target

- To simplify the problem, a stand-in target for a vehicle was chosen.



- Slug perforated all target thicknesses.
- Worst case scenario, 5 mm steel, was studied in more detail

Injury Criterion



Name	Explanation
A	Effective area
M	Effective mass
V_0	Lung gas volume at $x=0$
J	Damping factor
K	Spring constant
p_0	Ambient pressure
$p_i(t)$	External (blast) loading pressure
$p_{i,lung}(t)$	Lung pressure
g	Polytropic exponent for gas in lungs
x	Chest wall displacement

- Axelsson

$$m \frac{d^2 x}{dt^2} + C \frac{dx}{dt} + Kx = A \left(p(t) + P_0 - \left(\frac{V}{V - Ax} \right)^{\gamma} P_0 \right)$$

$$ASII = (0,124 + 0,117V_{MAX})^{2,63}$$

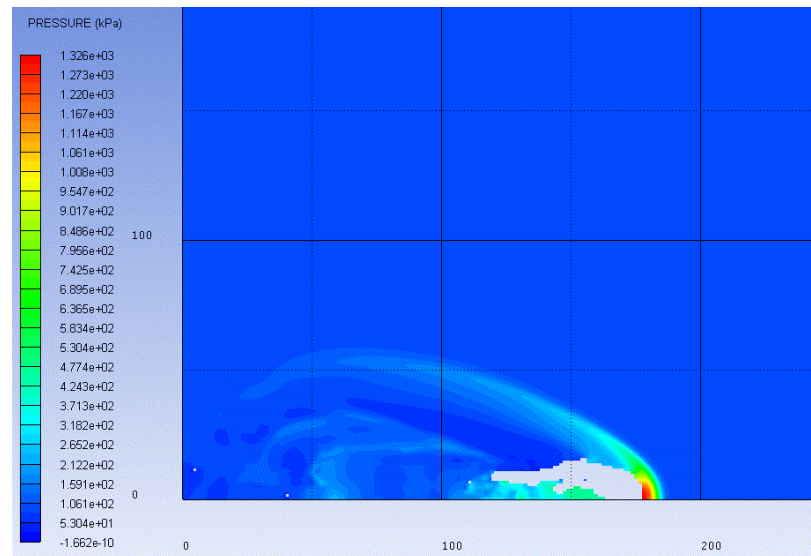
Table 3.4: Injury Levels with Corresponding ASII and CWVP, and Estimated AIS Levels

Injury Level	ASII (-)	V (m/s)	AIS Range
Negative (no injury)	0.0 – 0.2	0.0 – 3.6	0
Trace to slight	0.2 – 1.0	3.6 – 7.5	1 to 4
Slight to moderate	0.3 – 1.9	4.3 – 9.8	2 to 4
Moderate to extensive	1.0 – 7.1	7.5 – 16.9	3 to 5
> 50% lethality	> 3.6	> 12.8	Up to 6

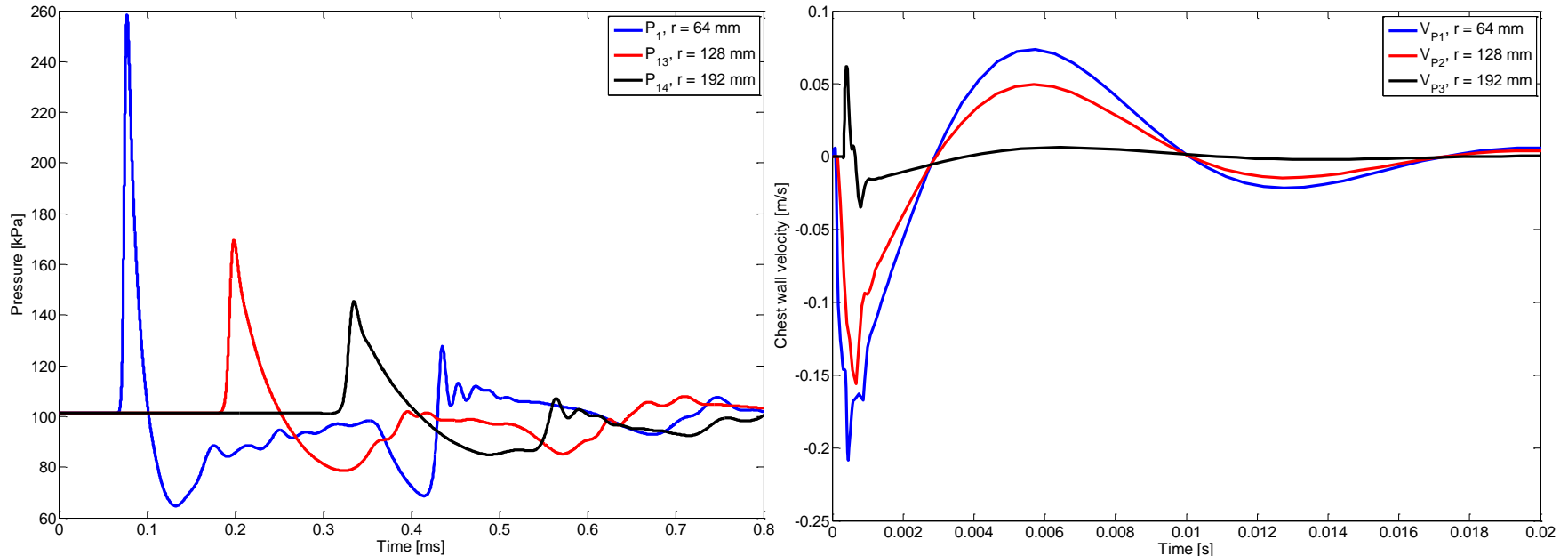
- Single point approximation used

Penetrator Shock

- Impact of the target was simulated using Lagrange parts, slug then remapped to Euler grid to speed up simulation
- After penetration, slug velocity was about 1100 m/s.
- Slug travelled the length of the volume, while pressure was logged at various gauge points.



Pressure and Chest Wall Velocity

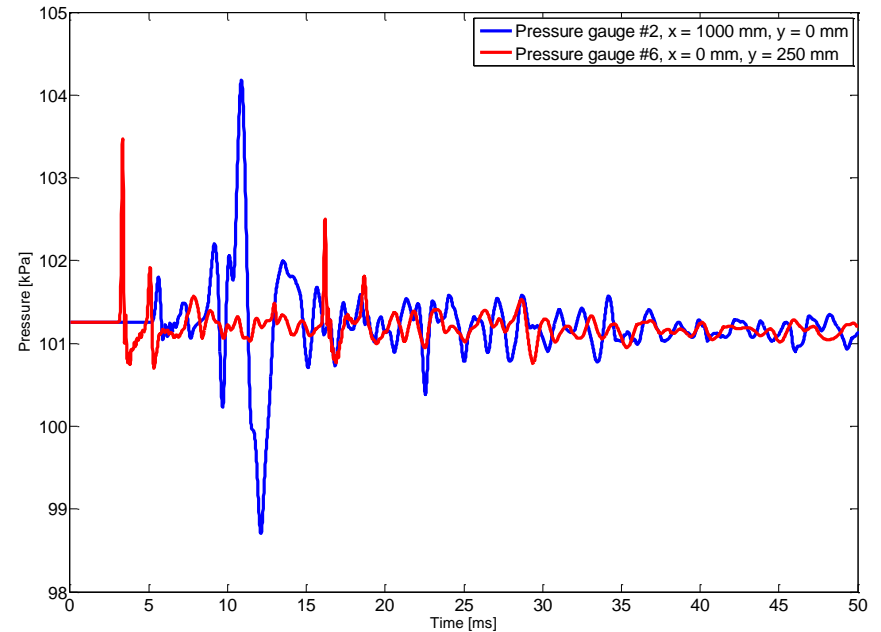
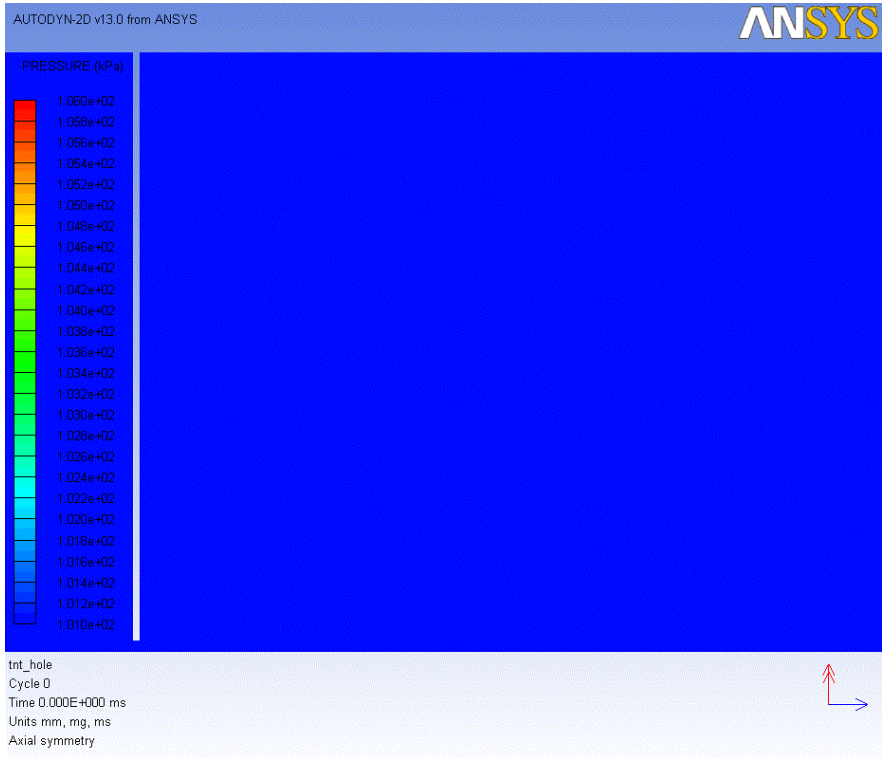


- Three pressure profiles, very close to trajectory of the slug.
- High peak pressure, low duration.
- Solving Axelsson yields a very low chest wall velocity, $ASII_{MAX} = 0,0066$
 - Trace to slight injury = 0,2 – 1,0 ASII

Detonation Pressure

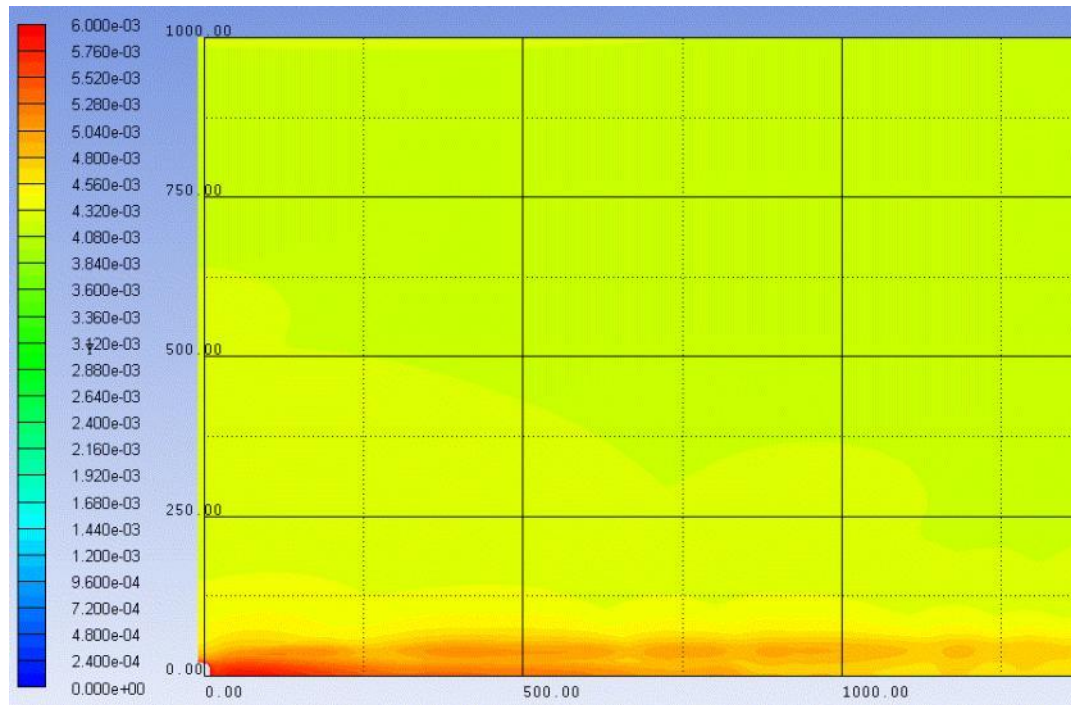
- Typical stand-off distance of 3 m chosen.
- 1D simulation of 1 kg TNT, remapped to 2D after 1,6 ms.
- Euler grid:
 - 10 mm x 10 mm grid size, 1 mm x 1 mm near symmetry axis
 - Cylinder walls reflect perfectly
 - 20 mm hole from penetration
- Axelsson subroutine for AUTODYN

Pressure Propagation



- Peak pressure at hole = 170,5 kPa

ASII Levels



- Highest value along symmetry axis, LOS from point of penetration.
- Max ASII = 0,0096 at opening
 - No injury
- Trace to slight injury = 0,2 – 1,0 ASII
 - Far from lowest injury level

Plate Vibrations

- The impact of the slug on the target incites vibrations and movements in the plate.
- The 5 mm steel plate exhibits the strongest vibrations.
- Acts as a piston the air inside the volume.

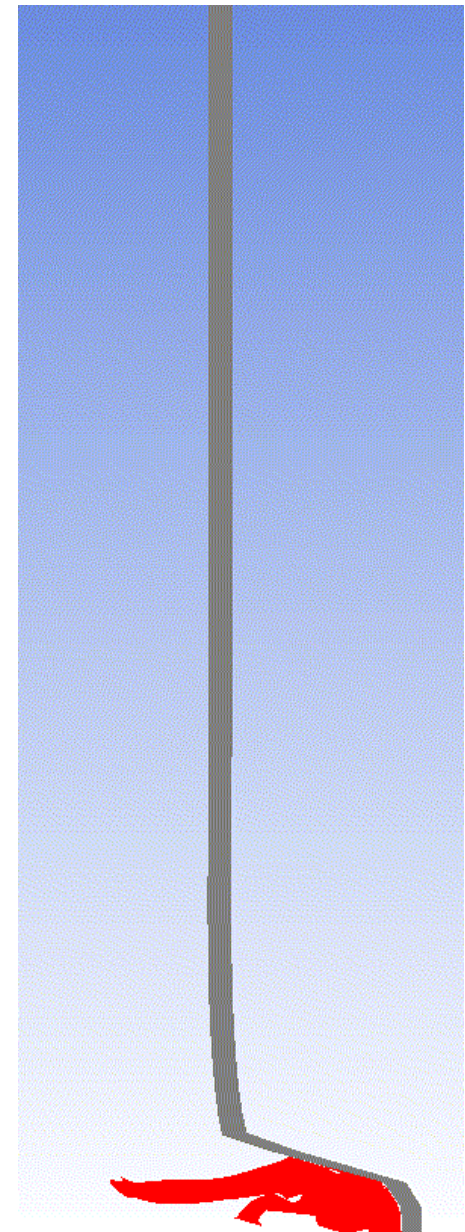


Plate Vibrations - Theory

- From acoustic theory, a circular piston oscillating at

$$U(t) = U_0 e^{i\omega t}$$

sets up a pressure p at a distance r :

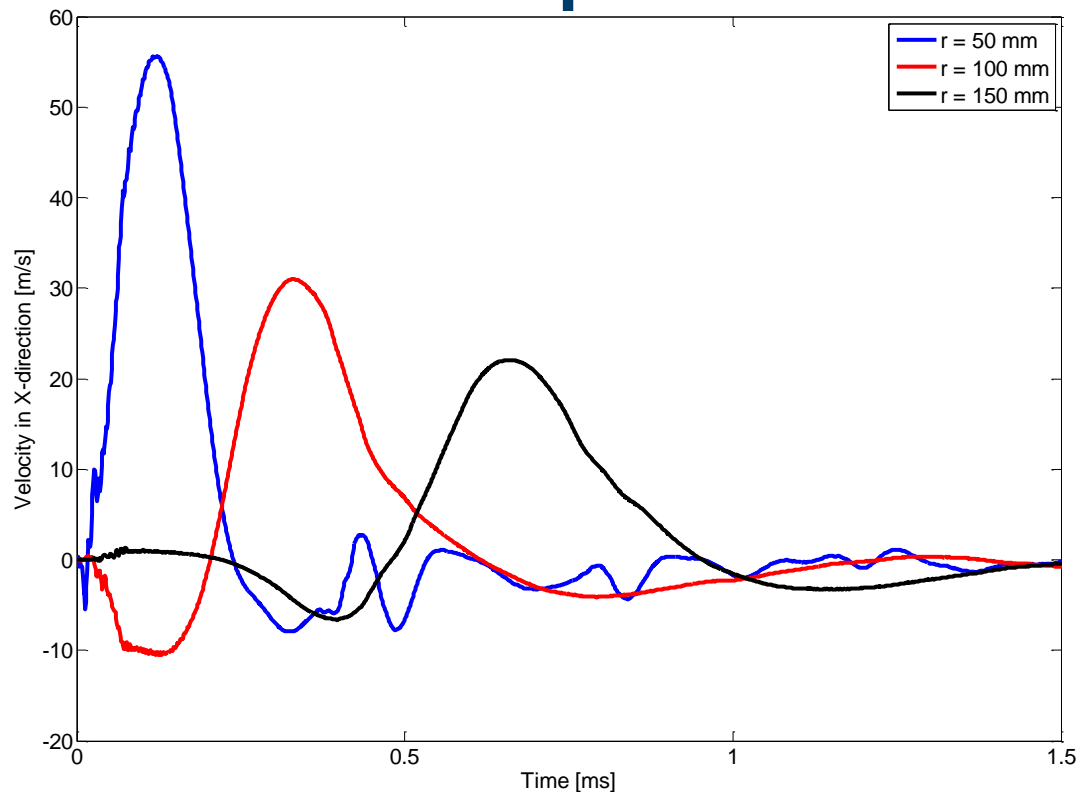
$$p(r, \theta, t) = i\rho_0 c \frac{U_0}{\lambda} e^{i\omega t} \int_S \frac{1}{r'} e^{i(\omega t - kr')} dS$$

- Along the symmetry axis this is solved to give:

$$p(r, 0, t) = \rho_0 c U_0 \left(1 - e^{-ik(\sqrt{r^2 + a^2} - r)} \right) e^{i(\omega t - kr)}$$

where a is the radius of the piston.

Plate Vibrations - Complications



- The perforated plate does not oscillate harmonically.
- Not uniform oscillation along radius of the plate.

Plate Vibrations - Approximation

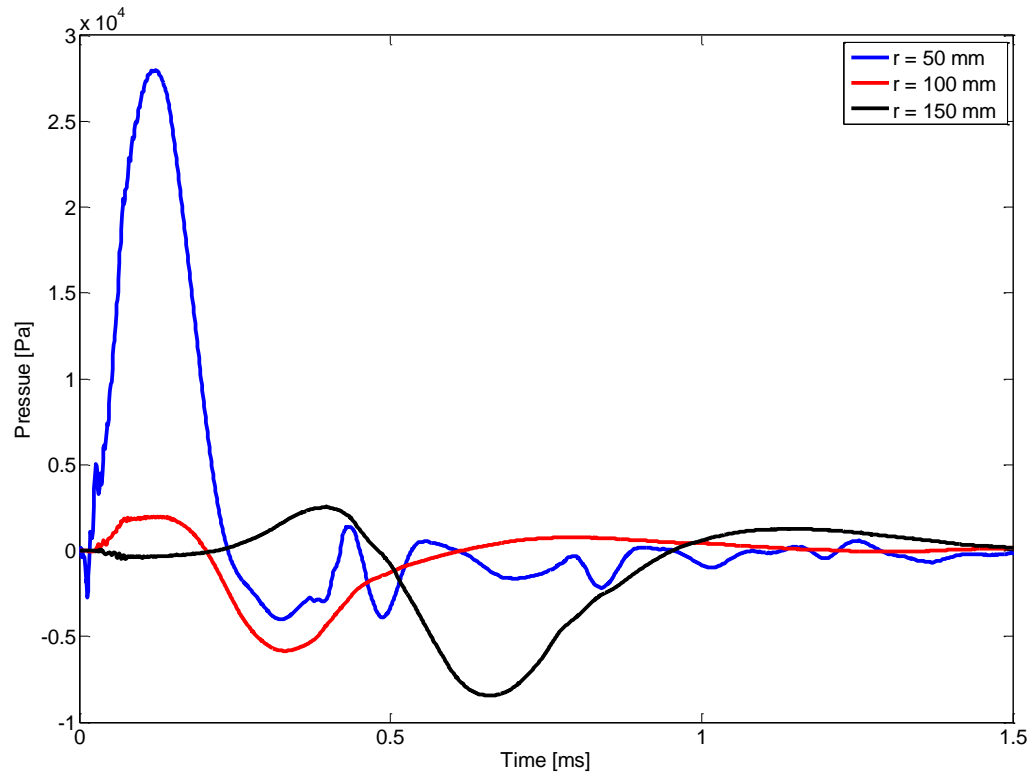
- Assume piston velocity term can be factored out:

$$p(r, 0, t) = \rho_0 c \left(1 - e^{-ik(\sqrt{r^2+a^2}-r)} \right) e^{-ikr} V(t)$$

in which case we can use the velocity profiles.

- The wave number k is still unknown
 - Approximation by curve fit, ex. the velocity profile at $r = 100$ mm gives $k \approx 3/\text{m}$.
- Assume this profile is valid over the entire plate
 - Conservative estimate

Plate Vibrations – Calculated Pressure



- Overpressure calculated 1 m from plate for three velocity profiles
- Fairly high peak overpressure, but short duration
- ASII = 0,0057 \ll 0,2 (Trace to slight injury)

Conclusion

- Penetrator shock:
 - $P_{MAX} = 160$ kPa (Overpressure)
 - $ASII_{MAX} = 0,0066$
- Detonation shock:
 - $P_{MAX} = 70$ kPa (Overpressure)
 - $ASII_{MAX} = 0,0096$
- Plate vibrations
 - $P_{MAX} = 28$ kPa (Overpressure)
 - $ASII_{MAX} = 0,0057$
- Very far from lowest ASII injury level
 - Trace to slight injury: $ASII = 0,2 - 1,0$

Conclusion

- Possible sources of error:
 - Short duration → Questionable validity of Axelsson
 - Single Point Approximation
 - Numerical artifacts
- Combination and interaction of the effects have not been considered

THANK YOU!