Chemical and Biological Information Systems (CBIS) Conference & Exhibition

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#### HAPPIE

#### THE DUTCH BALLISTIC MISSILE INTERCEPT

### **CONSEQUENCE SIMULATOR**

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# OUTLINE

#### Introduction

- Description of the models chain present status
- Development of new sub-models project in progress
- Applications





# Ballistic missile intercept consequence simulation Bulk warhead Warhead with submunitions



Aero-dynamic warming up?









#### Ground effects



(probability contour levels)

Dose ground patterns

Agent mass recovery on the ground Casualty model (available but not included)

# Meteo Model

- Monte Carlo procedures simulate the wind direction, the wind speed and the Pasquill class (generate a systematic frequency distribution of the three meteo parameters)
- Sigma=-a\*ln(u)+b, gaussian distribution of the wind direction, u is the predicted wind speed
- To generate Meteo conditions we randomly combine: wind speed, wind direction and Pasquill class
- All combinations of Meteo conditions form an ensemble with a representative frequency distribution
- Experimentally validated based on 20 months hourly observations and predictions at 30 meteorological stations



### **Dispersion model**

#### Puff definition

$$C(x, y, z, t) = m(t) \cdot E_x \cdot E_y \cdot E_z$$
$$E_x = \frac{1}{\sqrt{2\pi} \cdot \sigma_x} \cdot \exp\left(-\frac{(x - x_c)^2}{2\sigma_x^2}\right)$$

C(x, y, z): mass concentration at location (x, y, z) $x_c$   $y_c$   $z_c$ : co-ordinates of the centre of the puff m(t): mass contained in the puff

 $\sigma_x \sigma_y \sigma_z$  : standard deviations of the mass distribution

#### Puff expansion

$$\sigma_{xy} = f(x, a, b, u(z_i))$$
$$\sigma_z = f(x, z_0, c, d)$$

x - travel distance a,b,c,d – Pasquill stability class dependent constants u – wind speed at height  $z_i$  $z_0$  – terrain roughness length

Concentration

$$C(x, y, z, t) = \sum_{i} C_{puff,i}(x, y, z, t) + \sum_{j} C_{plume,j}(x, y, z, t)$$

Deposition

$$G(x, y, t) = \int_{-\infty}^{\infty} C(x, y, z, t) dz \quad \text{Dosage} \quad D(x, y, z, t) = \int_{0}^{t} C(x, y, z, \tau) d\tau$$

J.J.

### **Evaporation models**

### Evaporation of falling drops



- R drop radius
- D diffusion coefficient
- Cs saturation concentration at Ts
- Ts drop surface temperature

Sh, Sc, Nu, Pr, Re =  $f(\eta, k^{air}, c_P^{air}, T^{air}, D, \rho^{air})$ 

Secondary evaporation from the surface - the old Monaghan model

$$q_1 = m_i \cdot \frac{1 - f_{ss}}{t_{ss} - t_{imp}}$$

 $q_1, q_2, q_3$  - evaporation rates in the three phases

$$q_2 = m_i \cdot \frac{f_{ss} - f_{te}}{t_{te} - t_{ss}}$$

 $q_{3} = 0$ 

- $f_{imp}$  remaining liquid fraction at drop's impact time  $f_{ss}$  at drop's steady state time
- $f_{te}$  at the total evaporation time



# **DEBRIS** submunition behaviour model

- Trajectory analysis
- Aerodynamic heating of the submunitions:
- Shape and material of the submunition
- Available thermal protection coating
- Type of the agent
- Ejection velocity
- Height of release
- Heating and thermal demise of agent contained in the submunition
- Convection modelAgent properties studies



# Break-up model – in progress

**DEBUT 06: Drop Evaporation and Break-Up Tool** 

It calculates:

- Agent cloud dimensions
- Drop size distributions
- Initial mass loss due to evaporation
- Validation on-going (experiments due in 2007 / 2008)

To be developed also for non-Newtonian liquids



## HAPPIE in JPOW IX 2006

TIC WINDA

BOLAL NETHERLANDS AIR FOR

Royal Netherlands Air Force Staff Tectical Air Force GBAD & STO Brench JPOW Project Office

loversiber 2004



### An missile intercept exercise performed within JPOW IX



Ground effect calculation after an missile intercept performed within JPOW IX









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